Simulation Methodologies for the Numerical Analysis of High-Speed Dynamics

Meshing and High-Performance Computing as Influencing Factors

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Abstract-By now, computers and software have spread into all fields of industry. Therefore, extensive efforts are currently made in order to improve the safety by applying certain numerical solutions. For many engineering problems involving shock and impact, there is no single ideal numerical method that can reproduce the various aspects of a problem. An approach which combines different techniques in a single numerical analysis can provide the "best" solution in terms of accuracy and efficiency. This paper presents a set of numerical simulations of ballistic tests, which analyze the effects of armor structures. The goal is to find an appropriate technique for simulating composite materials and thereby improve modern armor to meet current challenges. To have the correct material model available is not enough. In this work, the main simulation methodologies are compared to create a perfect model for different armor structures. The calculation should match ballistic trials and be used as the basis for further studies. Given the complexity of penetration processes, it is not surprising that the bulk of work in this area is experimental in nature. Terminal ballistic test techniques, aside from routine proof tests, vary mainly in the degree of instrumentation provided and hence the amount of data retrieved. Here, both the ballistic trials as well as the analytical methods will be discussed.

Keywords-solver methologies; simulation models; composite materials; high-performance computing; armor systems.

I. INTRODUCTION

In the security sector, failing industrial components are ongoing problems that cause great concern as they can endanger people and equipment. Therefore, extensive efforts are currently made in order to improve the safety of industrial components by applying certain computer-based solutions. To deal with problems involving the release of a large amount of energy over a very short period of time, e.g., explosions and impacts, there are three approaches, which are discussed in detail in [1].

As the problems are highly non-linear and require information regarding material behavior at ultra-high loading rates, which are generally not available, most of the work is experimental and may cause tremendous expenses. Analytical approaches are possible if the geometries involved are relatively simple and if the loading can be described through boundary conditions, initial conditions, or a combination of the two. Numerical solutions are far more general in scope and remove any difficulties associated with geometry [2].

For structures under shock and impact loading, numerical simulations have proven to be extremely useful. They provide a rapid and less expensive way to evaluate new design ideas. Numerical simulations can supply quantitative and accurate details of stress, strain, and deformation fields that would be very costly or difficult to reproduce experimentally. In these numerical simulations, the partial differential equations governing the basic physics principles of conservation of mass, momentum, and energy are employed. The equations to be solved are time-dependent and nonlinear in nature. These equations, together with constitutive models describing material behavior and a set of initial and boundary conditions, define the complete system for shock and impact simulations.

The governing partial differential equations need to be solved in both time and space domains (see Figure 1). The solution for the time domain can be achieved by an explicit method. In the explicit method, the solution at a given point in time is expressed as a function of the system variables and parameters, with no requirements for stiffness and mass matrices. Thus, the computing time at each time step is low but may require numerous time steps for a complete solution.

The solution for the space domain can be obtained utilizing different spatial discretization techniques, such as Lagrange [3], Euler [4], Arbitrary Lagrange Euler (ALE) [5], or "mesh free" methods [6]. Each of these techniques has its unique capabilities, but also limitations. Usually, there is not a single technique that can cope with all the regimes of a problem [7].

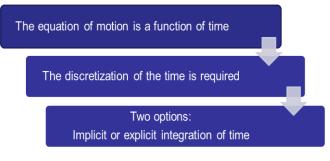


Figure 1. Discretization of time and space is required.



Figure 2. Native CAD geometry of an exemplary projectile.

This work will focus on high-speed dynamics, esp. impact simulations. By using a computer-aided design (CAD) neutral environment that supports direct, bidirectional, and associative interfaces with CAD systems, the geometry can be optimized successively. Native CAD geometry can be used directly without a translation to IGES or other intermediate geometry formats [8]. An example is given in Figure 2.

The work will also provide a brief overview of ballistic tests to offer some basic knowledge of the subject, serving as a basis for the comparison and verification of the simulation results.

The objective of this work is to compare current simulation methodologies to find the most suitable model for high-speed dynamics and impact studies. Lagrange, Euler, ALE, and "mesh free" methods, as well as combinations of these methods, are described and applied to a modern amor structure impacted by a projectile. It aims to clarify the following issues: What is the most suitable simulation model? How does the mesh density affect the results? What are the benefits of high-performance computing?

The results shall be used to improve the safety of ballistic structures, esp. for armored vehicles. Instead of running expensive trials, numerical simulations should be applied to identify vulnerabilities of structures. Contrary to the experimental results, numerical methods allow an easy and comprehensive study of all mechanical parameters.

Modeling will also help to understand how the armor schemes behave during impact and how the failure processes can be controlled to our advantage.

After a brief introduction and description of the different methods of space discretization in Section III, there is a short section on ballistic trials where the experimental set-up is depicted, followed by Section V describing the analysis with numerical simulations. In Section VI, the influence of highperformance computing is emphasized. The paper ends with a concluding paragraph.

II. STATE-OF-THE-ART

Simulating penetration and perforation events requires a numerical technique that allows one body (penetrator) to pass through another (target). Traditionally, these simulations have been performed using either an Eulerian approach, i.e., a non-deformable (fixed) mesh with material advecting among the cells, or using a Lagrangian approach, i.e., a deformable mesh with large deformations. The main point of criticism of the Eulerian approach has been that the shape of the penetrating body, usually an idealized rigid projectile, becomes "fuzzy" as the penetration simulation proceeds, due to the mixing of advected materials in the fixed Eulerian cells. Lagrangian methods require some form of augmentation to minimize or eliminate large mesh distortions. The so-called "pilot hole" technique and the material erosion are the two most often used augmentations for Lagrangian penetration simulations. In the pilot hole technique, elements are removed a priori from the target mesh along the penetrator trajectory, which works well for normal impacts where the trajectory is known a priori. The latter technique removes distorted elements from the simulation based upon a user supplied criterion. They are also removed along the penetrator trajectory, but with no general guidance for selecting certain criteria, i.e., they are ad hoc.

The focus of the present work is to assess a relatively new class of numerical methods, so-called mesh free methods, which offer analysts an alternate analytical technique for simulating this class of ballistic problems without a priori trajectory knowledge or the need to resort to ad hoc criteria. The assessment is made by comparing projectile residual speeds provided by the various techniques, when used to simulate a ballistic impact experiment. The techniques compared are the mesh free method known as Smooth Particle Hydrodynamics (SPH), a multi-material ALE technique, and Lagrangian with material erosion. Given that comparing these inherently different methods is hardly possible, large efforts have been made to minimize the numerous ancillary aspects of the different simulations and focus on the unique capabilities of the techniques.

III. METHODS OF SPACE DISCRETIZATION

The spatial discretization is performed by representing the fields and structures of the problem using computational points in space, usually connected with each other through computational grids. Generally, the following applies: the finer the grid, the more accurate the solution. For problems of dynamic fluid-structure interaction and impact, there typically is no single best numerical method which is applicable to all parts of a problem. Techniques to couple types of numerical solvers in a single simulation can allow the use of the most appropriate solver for each domain of the problem [9].

The most commonly used spatial discretization methods are Lagrange, Euler, ALE (a mixture of Lagrange and Euler), and mesh-free methods, such as Smooth Particles Hydrodynamics (SPH) [10].

A. Lagrange

The Lagrange method of space discretization uses a mesh that moves and distorts with the material it models as a result of forces from neighboring elements (meshes are imbedded in material). There is no grid required for the external space, as the conservation of mass is automatically satisfied and material boundaries are clearly defined. This is the most efficient solution methodology with an accurate pressure history definition.

The Lagrange method is most appropriate for representing solids, such as structures and projectiles. If however, there is too much deformation of any element, it results in a very slowly advancing solution and is usually terminated because the smallest dimension of an element results in a time step that is below the threshold level.

B. Euler

The Euler (multi-material) solver utilizes a fixed mesh, allowing materials to flow (advect) from one element to the next (meshes are fixed in space). Therefore, an external space needs to be modeled. Due to the fixed grid, the Euler method avoids problems of mesh distortion and tangling that are prevalent in Lagrange simulations with large flows. The Euler solver is very well-suited for problems involving extreme material movement, such as fluids and gases. To describe solid behavior, additional calculations are required to transport the solid stress tensor and the history of the material through the grid. Euler is generally more computationally intensive than Lagrange and requires a higher resolution (smaller elements) to accurately capture sharp pressure peaks that often occur with shock waves.

C. ALE

The ALE method of space discretization is a hybrid of the Lagrange and Euler methods. It allows redefining the grid continuously in arbitrary and predefined ways as the calculation proceeds, which effectively provides a continuous rezoning facility. Various predefined grid motions can be specified, such as free (Lagrange), fixed (Euler), equipotential, equal spacing, and others. The ALE method can model solids as well as liquids. The advantage of ALE is the ability to reduce and sometimes eliminate difficulties caused by severe mesh distortions encountered by the Lagrange method, thus allowing a calculation to continue efficiently. However, compared to Lagrange, an additional computational step of rezoning is employed to move the grid and remap the solution onto a new grid [7].

D. SPH

The mesh-free Lagrangian method of space discretization (or SPH method) is a particle-based solver and was initially used in astrophysics. The particles are imbedded in material and they are not only interacting mass points but also interpolation points used to calculate the value of physical variables based on the data from neighboring SPH particles, scaled by a weighting function. Because there is no grid defined, distortion and tangling problems are avoided as well. Compared to the Euler method, material boundaries and interfaces in the SPH are rather well defined and material separation is naturally handled. Therefore, the SPH solver is ideally suited for certain types of problems with extensive material damage and separation, such as cracking. This type of response often occurs with brittle materials and hypervelocity impacts. However, mesh-free methods, such as SPH, can be less efficient than mesh-based Lagrangian methods with comparable resolution.

Figure 3 gives a short overview of the solver technologies mentioned above. The crucial factor is the grid that causes different outcomes.

The behavior (deflection) of the simple elements is wellknown and may be calculated and analyzed using simple equations called shape functions. By applying coupling conditions between the elements at their nodes, the overall stiffness of the structure may be built up and the deflection/distortion of any node – and subsequently of the whole structure – can be calculated approximately [12].

Due to the fact that all engineering simulations are based on geometry to represent the design, the target and all its components are simulated as CAD models [13]. Therefore, several runs are necessary: from modeling to calculation to the evaluation and subsequent improvement of the model (see Figure 4).

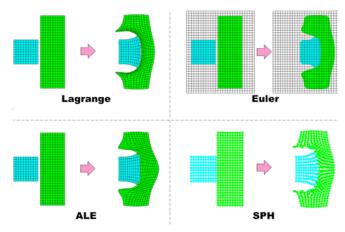


Figure 3. Examples of Lagrange, Euler, ALE, and SPH simulations on an impact problem [11].

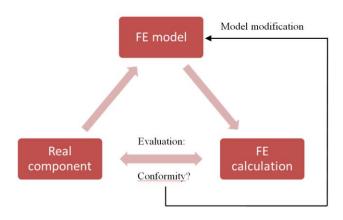


Figure 4. Iterative procedure of a typical FE analysis [12].

The most important steps during an FE analysis are the evaluation and interpretation of the outcomes followed by suitable modifications of the model. For that reason, ballistic trials are necessary to validate the simulation results. They can be used as the basis of an iterative optimization process.

IV. BALLISTIC TRIALS

Ballistics is an essential component for the evaluation of our results. Here, terminal ballistics is the most important sub-field. It describes the interaction of a projectile with its target. Terminal ballistics is relevant for both small and large caliber projectiles. The task is to analyze and evaluate the impact and its various modes of action. This will provide information on the effect of the projectile and the extinction risk.

Given that a projectile strikes a target, compressive waves propagate into both the projectile and the target. Relief waves propagate inward from the lateral free surfaces of the penetrator, cross at the centerline, and generate a high tensile stress. If the impact were normal, we would have a two-dimensional stress state. If the impact were oblique, bending stresses would be generated in the penetrator. When the compressive wave was to reach the free surface of the target, it would rebound as a tensile wave. The target could fracture at this point. The projectile could change direction in case of perforation (usually towards the normal of the target surface). A typical impact response is illustrated in Figure 5.

Because of the differences in target behavior due to the proximity of the distal surface, we must categorize targets into four broad groups. In a semi-infinite target, there is no influence of distal boundary on penetration. A thick target is one in which the boundary influences penetration after the projectile has already travelled some distance into the target. An intermediate thickness target is a target where the boundaries exert influence throughout the impact. Finally, a thin target is one in which stress or deformation gradients are negligible throughout the thickness.

There are several methods which may cause a target to fail when subjected to an impact. The major variables are the target and penetrator material properties, the impact velocity, the projectile shape (especially the ogive), the geometry of the target supporting structure, and the dimensions of the projectile and target.

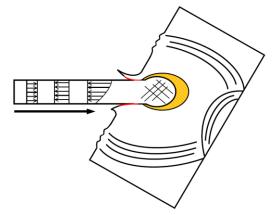


Figure 5. Wave propagation after impact.

The results of the ballistic tests were provided prior to the simulation work to aid calibration. A series of metal plate impact experiments, using several projectile types, have been performed. For the present comparative study, the only target considered is 0.5 inch (12.7 mm) thick 6061-T6 aluminum plate. The plate has a free span area of 8 by 8 inches (203 by 203 mm) and was fixed in place.

The plate was nominally center impacted by a blunt projectile, also made from 6061-T6 aluminum, with an impact speed of 3181 feet/second (970 meters/second). The orientation of the projectile impact was intended to be normal to the target. The projectile is basically a right circular cylinder of length 0.974 inches (24.7 mm) and diameter 0.66 inch (16.7 mm), with a short length of reduced diameter (shoulder) at the rear of the projectile.

The projectile's observed exit speed was 1830 feet/second. The deformed target and projectile are shown in Figures 6 and 7, respectively. As can be seen the target is essentially "drilled out" by the projectile, i.e., a clean hole remains in the target plate. Also, the lack of "petals" on the exit surface of the target indicates the hole was formed by concentrated shear around the perimeter of the hole.

The deformed projectiles, shown in Figure 7, indicate the increasing amount of projectile deformation as it perforates increasingly thicker targets: 0.125 to 0.5 inch. The deformed projectile on the right is the case of present interest. It is worth noting that the simulation of deformable projectiles perforating deformable targets is a challenging class of ballistic simulations. The vast majority of perforation simulations involve nearly rigid projectiles impacting Although deformable deformable targets. projectile calculations form a special, and limited, class in ballistics, establishing confidence in the simulation of this challenging class of problems will lend further confidence to the comparatively easier simulation of near rigid projectile perforating deformable targets [14].

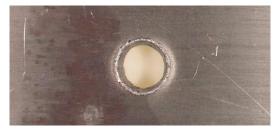


Figure 6. Front view of a perforated aluminum 0.5 inch thick target.



Figure 7. Deformed 6061-T6 aluminum projectiles after perforation 0.125, 0.25, and 0.5 inch thick (leftto- right) aluminum targets.

V. NUMERICAL SIMULATION

The ballistic tests are followed by computational modeling of the experimental set-up.

Three mesh refinement models were constructed using the two-dimension axisymmetric solver in ANSYS. While the three-dimensional solver could also be used, using the two-dimension axisymmetric solver allows more efficient solutions, especially with a large number of elements. The particulars of the three meshes are summarized in Tab. I.

Figure 8 shows two of the three axisymmetric mesh configurations. The mesh discretizations are similar in that each mesh uses one number as the basis for determining the number and size of all the elements in the mesh. The target plate elements immediately below the projectile have the same mesh refinement as the projectile. The configuration is based on [14].

A suite of impact simulations was performed using the above-described 6061-T6 aluminum projectile and 6061-T6 aluminum target. The projectile was given an initial velocity of 3181 feet/second (970 meters/second) and the projectile's speed was recorded at a point near the rear of the projectile. The resulting residual speed was thought to best correspond to the experimental measurement technique for residual speed.

The overall projectile and target plate dimensions were previously given in the description of the ballistic experiment. The axisymmetric model is fully constrained around the outer diameter of the target plate, i.e., fully fixed (clamped).

Different solver methodologies have been applied. The comparison is presented in the following section.

SUMMARY OF MESH CONFIGURATIONS

TABLE I.

	Smallest Element (mm)	Number of Elements
Coarse	0.4445	3,174
Medium	0.22225	12,913
Fine	0.14816	28,922

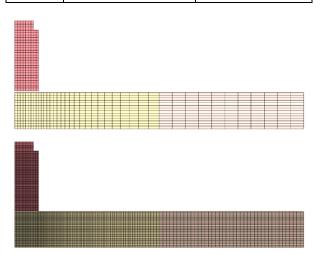


Figure 8. Two of the three axisymmetric mesh discretizations.

A. Solver Evaluation

Using the Johnson-Cook failure criterion eliminates the need to select an erosion criterion and a value for the criterion at which to erode elements. These are two significant difficulties most often overlooked when using an erosion-based simulation technique. Many users select an ad hoc erosion criterion and assign ad hoc values for erosion. In so doing, they seem to ignore the fact that the results are then also ad hoc, which is not desirable when making predictive calculations.

As mentioned above, the Johnson-Cook failure model is not regularized via element characteristic lengths. Thus, we expect the results to be mesh-dependent. It is the purpose of this section to assess this mesh dependency using four successively refined meshes. Subsequently, theses Lagrange erosion results will be compared with the corresponding ALE and SPH results.

1) Lagrange method: Figure 9 shows the initial and deformed (t = 0.053 ms) mesh configurations for the medium discretized mesh. Also shown is an illustration of the eroded element distribution at the end of the simulation. The eroded elements are indicated relative to their initial position using a different color to differentiate them from the non-eroded elements of the same part. Tab. II summarizes the residual speed of the projectile for the three mesh configurations considered. With the exception of the medium mesh speed, which indicates a somewhat larger projectile speed reduction, the projectile speeds are decreasing nearly uniformly with increasing mesh refinement. Figure 10 shows a plot of the residual speed versus the mesh refinement parameter. This plot indicates that the results do not follow the developing trend. Based on this plot, no claim can be made that the results are in the asymptotic regime, much less converged. This is disappointing since the mesh densities for these two cases are likely to be much greater than it would have been attempted in typical three dimensional simulations.

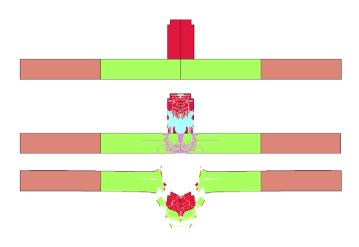


Figure 9. Initial, eroded, and deformed Lagrange elements with a medium mesh configuration.



Figure 10. Plot of residual speed versus mesh refinement parameter.

2) ALE method: As mentioned above, failure criteria such as the Johnson-Cook failure criterion, cannot be used with Eulerian formulations as cell (element) deletion is not allowed. If a user attempts to use a failure model, the deletion of failed cells will eventually cause the calculation to terminate inaccurately. Thus, all the ALE simulations in this section omit the Johnson-Cook failure model.

In the absence of a failure criterion, it will be demonstrated that the residual speed of the projectile is quite low. It is the purpose of this section to assess the mesh dependency of the ALE solution using successively refined meshes. Subsequently, these results will be compared with the corresponding Lagrange and SPH results.

Note: although the same mesh densities are used in both the Lagrange and ALE simulations in this demonstration, ALE mesh densities generally need to be greater than corresponding Lagrange with erosion mesh densities. The advection of materials from cell-to-cell, and especially the assumption of uniform strain-rate increments for all materials occupying a cell, introduces numerical errors to the ALE solution that can only be minimized by increasing the mesh densities. For the present demonstration, it is posited that the Lagrange mesh densities are greater than they would typically be for such a perforation simulation, making the ALE mesh densities probably appear typical in terms of expectations.

Tab. II compares the previous Lagrange with erosion results with the corresponding ALE projectile residual speeds. The vast majority of perforation simulations involve nearly rigid projectiles impacting deformable targets. Figure 11 shows the ALE simulation at t = 0.1 ms with a medium number of elements. It is interesting to note that the ALE deformed projectile is quite similar in shape to the deformed projectile after the test.

 TABLE II.
 COMPARISON OF LAGRANGE WITH EROSION AND ALE PROJECTILE RESIDUAL SPEEDS

	Residual Speed (fps)		
Mesh	Lagrange	ALE	
Coarse	1748	1693	
Medium	1647	1788	
Fine	1737	1834	
Experiment	1830		

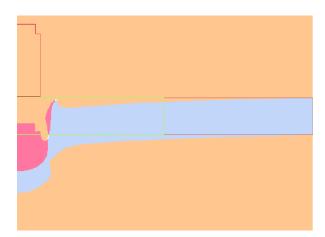


Figure 11. ALE simulation with a medium discretized mesh (t = 0.1 ms).

3) SPH method: Failure criteria like the Johnson-Cook failure criterion, are not typically used with the Smooth Particle Hydrodynamic (SPH) formulations, as particle methods are designed to avoid mesh distortions, which is the primary motivation for using failure/erosion criteria. It is the purpose of this section to assess the mesh dependency of the SPH solution using three successively refined particle meshes. These results will be compared with the corresponding Lagrange with erosion and ALE results.

Much like the mesh refinements used in the Lagrange and ALE calculations, refinements of the SPH particle spacing requires changing the spacing in both the impacted region of the target plate and the projectile, which is also modeled using SPH particles. Figure 12 shows the coarsest SPH model with the projectile and center of the target plate. It was modeled using SPH particles, while the outer portion of the plate was modeled with Lagrange solid elements. Tab. III summarizes the three SPH meshes.

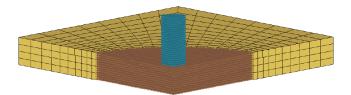


Figure 12. Coarsest SPH model (0.96 mm particle spacing).

 TABLE III.
 SUMMARY OF SPH RESIDUAL SPEEDS FOR THREE PARTICLE MESH REFINEMENTS

		Number of Particles		
Mesh	Particle Spacing (mm)	Projectile	Target	Residual Speed (fps)
Coarse	0.96	1,536	28,665	1094
Medium	0.64	4,860	98,080	1312
Fine	0.43	17,064	333,840	1424
Experiment				1830

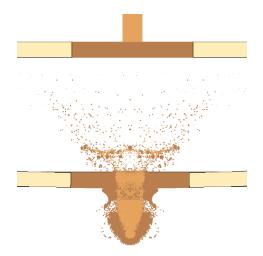


Figure 13. Initial and final (t = 0.1 ms) configurations for finest SPH mesh (0.43 mm spacing).

Figure 13 shows the initial and final (t = 0.1 ms) deformed projectile and target plate configuration for the finest SPH mesh. In addition to the target plate 'plug' being removed from the plate by the projectile (darker brown particles on the right side of target plate), there is considerable front surface ejecta of both the projectile (light brown particles) and the target plate (darker brown particles). For this mesh refinement, the deformed projectile remains relatively intact, with the exception of the front surface ejecta and portions of the projectile that remain attached to the target plate.

B. Simulation Results

In the previous sections, the results from a laboratory experiment were used as a basis to assess the accuracy of the numerical simulations with respect to mesh refinement.

Examining the Lagrange results first without considering the experimental observation, it would seem like the Lagrange method provides the "best" results. All three sets of the Lagrange-with-erosion results have an observed order of convergence which is less than two and thus considered a favorable indication, since few numerical methods have orders of accuracy greater than two.

A general trend seems to be that, as the mesh is refined, the resulting deformed projectile more closely resembles the observed deformed projectile. The exception to this trend is the "point" that protrudes from the front of the projectile. Due to target elements, this "point" appears to be eroded erroneously along the axis of symmetry.

Also, it can be deduced that, for ALE simulations, meshes need to be more dense than it is required for the corresponding Lagrange mesh density. The current status is as follows: the ALE meshes were refined enough, and the Lagrange meshes were more refined than necessary. It is more likely that the advection of material, e.g., from target plate into the surrounding vacuum, over-predicts the motion of the target plate, thus effectively reducing its stiffness and allowing for a "soft catch" of the projectile and an associated reduced projectile residual speed. Here, it needs to be recalled that the Johnson-Cook failure model cannot be included in the Eulerian simulations as the notion of removal of a cell in the Eulerian context is not permitted. However, these results do indicate that they converge in or at least near the asymptotic range.

Just like the ALE results, the SPH residual speeds increase with increasing mesh density, thus being opposite to the general trend for the Lagrange results. An increasing speed with mesh refinement leads to predictions for a converged result that is greater than the calculated values. Finally, the SPH deformed projectile, previously shown in Figure 13, bears little or no resemblance to the deformed projectile recovered after the perforation test (see Figure 7). Thus, the SPH residual speed results should perhaps be considered reasonable, at least compared to the ALE results. However, the lack of uniformity of the deformed projectile shape between the SPH simulations and the actual experiment might be an indication that the "right" answer might be obtained for the "wrong" reason. Future perforation experiments should include additional diagnostics, e.g., strain measurements on the target plates, so that assessments of agreement can be more extensive than solely considering residual speed.

The SPH deformed projectile looked the least like the observed deformed projectile of any of the three simulation techniques reported. Rather than forming a rounded impact end on the projectile, the SPH deformed projectile seems to form more of a "jet" with a narrow diameter at the fore and a tapered diameter toward the rear. Also, only the refined mesh appears to maintain the integrity of the projectile, i.e., the other two mesh configurations indicate the projectile separating into two parts. Finally, it appears as if some of the projectile material remains on the inner diameter of the hole formed in the target plate. However, it is uncertain if this was observed in the test.

VI. HIGH-PERFORMANCE COMPUTING

The objective is to develop and improve the modern armor used in the security sector. To develop better, smarter constructions requires an analysis of a wider range of parameters. However, there is a simple rule of thumb: the more design iterations that can be simulated, the more optimized is the final product. As a result, a highperformance computing (HPC) solution has to dramatically reduce overall engineering simulation time. HPC adds tremendous value to engineering simulation by enabling the creation of large, high-fidelity models that yield accurate and detailed insights into the performance of a proposed design. HPC also adds value by enabling greater simulation throughput. Using HPC resources, many design variations can be analyzed.

This research will evaluate the performance of the following server generations: HP ProLiant SL390s G7, HP ProLiant DL580 G7, and HP ProLiant DL380p G8.

Taking the influence of the software into account, different versions of ANSYS will be applied here. Regarding the Lagrange solver in a complex 3D multi-material simulation model (modern composite armor structure instead of 6061-T6 aluminum target), the following benchmark is obtained for the different simulations (see Tab. IV below).

The results indicate the importance of high-performance computing in combination with competitive simulation software to solve current problems of the computer-aided engineering sector.

VII. CONCLUSION

The reader is reminded that the ballistic simulation attempted in this work is among the most difficult as both the projectile and target experience significant deformation. The deformation of the projectile as it interacts with the target affects the deformation of the target, and vice versa.

The introduction of a failure criterion, such as the Johnson-Cook failure criterion, is clearly necessary for Lagrange models, and appears to also be necessary for SPH models. A better overall approach than on-off failure models, like the Johnson-Cook failure model, would be the use of continuum damage models. These models allow for the gradual reduction in strength of highly deformed materials and can be used in all three solution techniques.

The importance of mesh refinement has been emphasized in this work. This relatively simple to perform assessment of how the key results change with mesh density is all too often overlooked in computational solid mechanics. Further, establishing that the results are in the asymptotic regime provides some confidence that the mesh density is adequate.

When predictions are required, analysts want as many checks and assurances as possible that their results are credible. Mesh refinement studies provide the analyst some confidence the results are at a minimum not being affected by ad hoc choices of discretization.

This work demonstrates how a small number of welldefined experiments can be used to develop, calibrate, and validate solver technologies used for simulating the impact of projectiles on armor systems.

New concepts and models can be developed and easily tested with the help of modern hydrocodes. The initial design approach of the units and systems has to be as safe and optimal as possible. Therefore, most design concepts are analyzed on the computer.

The gained experience is of prime importance for the development of modern armor. By applying the numerical model, a large number of potential armor schemes can be evaluated and the understanding of the interaction between different materials under ballistic impact can be improved.

The most important steps during an FE analysis are the evaluation and interpretation of the outcomes followed by suitable modifications of the model. For that reason, ballistic trials are necessary to validate the simulation results.

TABLE IV.	BENCHMARK TO ILLUSTRATE THE INFLUENCE OF
DIFFERE	NT SERVER AND SOFTWARE GENERATIONS

	ANSYS 14.5	ANSYS 15.0
SL390s G7	27m31s	24m47s
DL580 G7	21m44s	19m51s
DL380p G8	19m16s	14m32s

They are designed to obtain information about

- the velocity and trajectory of the projectile prior to the impact,
- changes in configuration of the projectile and target due to the impact,
- masses, velocities, and trajectories of fragments generated by the impact process.

The combined use of computations, experiments and high-strain-rate material characterization has, in many cases, supplemented the data achievable by experiments alone at considerable savings in both cost and engineering manhours.

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